

**Mini-Project Worksheet – Musical Intervals**

Name: \_\_\_\_\_

**Part 1**

Frequencies after subtracting 200 Hz: \_\_\_\_\_

Set the offset to -200Hz, and listen to the transposed melody. How does the transposed version compare to the original? Does it sound like the same melody?

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Frequencies after adding 200 Hz: \_\_\_\_\_

Set the offset to +200Hz, and listen to the transposed melody. How does the transposed version compare to the original? Does it sound like the same melody?

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Draw a conclusion: Is a constant frequency offset a good way to transpose a melody?

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**Part 2**

If you play middle C (or C4 on the diagram, with the numerical value indicating the octave number), how many half steps up do you need to go in order to play a perfect fifth interval?

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If you begin on A4, what note is a perfect fifth above?

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### Part 3

Use C4 as the fundamental. What is its frequency? \_\_\_\_\_ Hz

What is the frequency of a major 3<sup>rd</sup> above the fundamental? \_\_\_\_\_ Hz

What is the frequency ratio of the interval? Express your result in the form "a : 1": \_\_\_\_\_

Repeat using C5 as the fundamental, and A#2 as the fundamental:

Frequency of C5: \_\_\_\_\_ Hz                      A#2: \_\_\_\_\_ Hz

Frequency of major 3<sup>rd</sup> above: \_\_\_\_\_ Hz                      A#2: \_\_\_\_\_ Hz

Frequency ratio: \_\_\_\_\_                      A#2: \_\_\_\_\_

Draw a conclusion: Based on what you have experienced about musical intervals so far, can you develop at least part of an explanation for why the frequencies have been selected as they have?

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### Part 4

Complete the table below to show each interval as a ratio of the form "a : 1".

Major 2<sup>nd</sup> – 9:8                      = 1.125 : 1

Major 3<sup>rd</sup> – 5:4                      = \_\_\_\_\_ : 1

Perfect 4<sup>th</sup> – 4:3                      = \_\_\_\_\_ : 1

Perfect 5<sup>th</sup> – 3:2                      = \_\_\_\_\_ : 1

Major 6<sup>th</sup> – 5:3                      = \_\_\_\_\_ : 1

Major 7<sup>th</sup> – 15:8                      = \_\_\_\_\_ : 1

Octave – 2:1                          = \_\_\_\_\_ : 1

Listen to the following scale using your new VI, and using A4 (440 Hz) as the fundamental:

1       $\frac{9}{8}$      $\frac{5}{4}$      $\frac{4}{3}$      $\frac{3}{2}$      $\frac{5}{3}$      $\frac{15}{8}$     2

Comment on how well this sounds to you:

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Transpose to G4 as the fundamental, and then F4 as the fundamental.

Comment on how well this scale transposes (the differences may be rather subtle):

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### ***Part 5***

Derive a mathematical function to calculate the frequencies used by the equal-tempered scale, e.g., given a fundamental and semitone offset, calculate the frequency. You must show your derivation process, and not simply the end result!